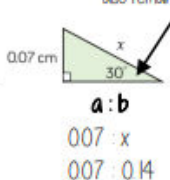
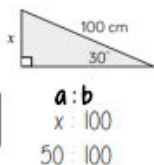
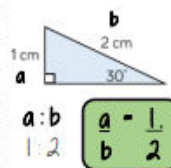


Ratio in right-angled triangles

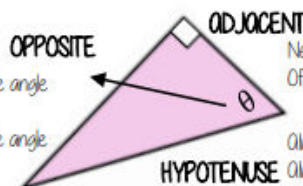
When the angle is the same the ratio of sides a and b will also remain the same



Hypotenuse, adjacent and opposite

ONLY right-angled triangles are labelled in this way

Always opposite an acute angle
Useful to label second
Position depend upon the angle in use for the question



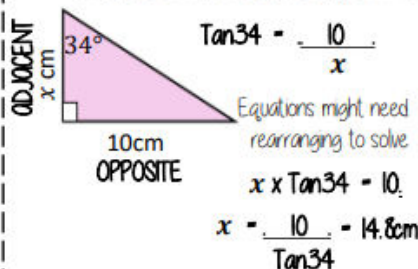
Next to the angle in question
Often labelled last

Always the longest side
Always opposite the right angle
Useful to label this first

Tangent ratio: side lengths

$$\tan \theta = \frac{\text{opposite side}}{\text{adjacent side}}$$

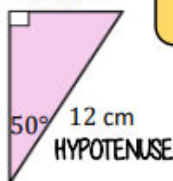
Substitute the values into the tangent formula



Sin and Cos ratio: side lengths

OPPOSITE
x cm

$$\sin \theta = \frac{\text{opposite side}}{\text{hypotenuse side}}$$

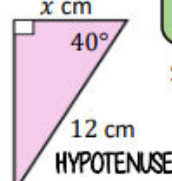


NOTE

The $\sin(x)$ ratio is the same as the $\cos(90-x)$ ratio

ADJACENT
x cm

$$\cos \theta = \frac{\text{adjacent side}}{\text{hypotenuse side}}$$



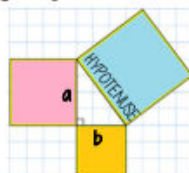
Substitute the values into the ratio formula

Equations might need rearranging to solve

Pythagoras theorem

R

$$\text{Hypotenuse}^2 = a^2 + b^2$$



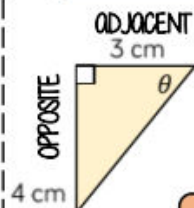
This is commutative – the square of the hypotenuse is equal to the sum of the squares of the two shorter sides

Places to look out for Pythagoras

- Perpendicular heights in isosceles triangles
- Diagonals on right angled shapes
- Distance between coordinates
- Any length made from a right angles

Sin, Cos, Tan: Angles

Inverse trigonometric functions



Label your triangle and choose your trigonometric ratio

Substitute values into the ratio formula

$$\theta = \tan^{-1} \frac{\text{opposite side}}{\text{adjacent side}}$$

$$\theta = \sin^{-1} \frac{\text{opposite side}}{\text{hypotenuse side}}$$

$$\theta = \cos^{-1} \frac{\text{adjacent side}}{\text{hypotenuse side}}$$

$$\tan \theta = \frac{3}{4}$$

$$\theta = \tan^{-1} \frac{3}{4}$$

$$\theta = 36.9^\circ$$

Additional Notes:

Things to remember!